Estimating divergence dates and evaluating dating methods using phylogenomic and mitochondrial data in squamate reptiles

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A B S T R A C T
Recently, phylogenetics has expanded to routinely include estimation of clade ages in addition to their relationships. Various dating methods have been used, but their relative performance remains understudied. Here, we generate and assemble an extensive phylogenomic data set for squamate reptiles (lizards and snakes) and evaluate two widely used dating methods, penalized likelihood in r8s (r8s-PL) and Bayesian estimation with uncorrelated relaxed rates among lineages (BEAST). We obtained sequence data from 25 nuclear loci (~500–1000 bp per gene; 19,020 bp total) for 64 squamate species and nine outgroup taxa, estimated the phylogeny, and estimated divergence dates using 14 fossil calibrations. We then evaluated how well each method approximated these dates using random subsets of the nuclear loci (2, 5, 10, 15, and 20; replicated 10 times each), and using ~1 kb of the mitochondrial ND2 gene. We find that estimates from r8s-PL based on 2, 5, or 10 loci can differ considerably from those based on 25 loci (mean absolute value of differences between 2-locus and 25-locus estimates were 9.0 Myr). Estimates from BEAST are somewhat more consistent given limited sampling of loci (mean absolute value of differences between 2 and 25-locus estimates were 5.0 Myr). Most strikingly, age estimates using r8s-PL for ND2 were ~68–82 Myr older (mean = 73.1) than those using 25 nuclear loci with r8s-PL. These results show that dates from r8s-PL with a limited number of loci (and especially mitochondrial data) can differ considerably from estimates derived from a large number of nuclear loci, whereas estimates from BEAST derived from fewer nuclear loci or mitochondrial data alone can be surprisingly similar to those from many nuclear loci. However, estimates from BEAST using relatively few loci and mitochondrial data could still show substantial deviations from the full data set (>50 Myr), suggesting the benefits of sampling many nuclear loci. Finally, we found that confidence intervals on ages from BEAST were not significantly different when sampling 2 vs. 25 loci, suggesting that adding loci decreased errors but did not increase confidence in those estimates.

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1. Introduction

In recent years there has been increasing interest in using molecular-based phylogenies to infer the ages of clades (e.g., Sanderson, 2002; Drummond et al., 2006; Rutschmann, 2006; Hedges and Kumar, 2009). Time-calibrated phylogenies have become integral to many evolutionary studies, including analyses of biogeography (e.g., Ree and Smith, 2008), species diversification (e.g., Ricklefs, 2007), and phenotypic evolution (e.g., O’Meara et al., 2006).

Several methods for divergence-time estimation have been developed (e.g., Thorne et al., 1998; Yoder and Yang, 2000; Hedges et al., 2000; Sanderson, 2003; Thorne and Kishino, 2002; Drummond et al., 2006; Yang and Rannala, 2006; Lepage et al., 2007; Rannala and Yang, 2007; Lartillot et al., 2009). The most widely used methods at present are based on “relaxed” molecular clocks where a general relationship between time and molecular divergence is assumed, and this relationship can vary across the tree.

In the recent literature, two methods in particular have been widely used, penalized likelihood (implemented in r8s; Sanderson, 2002, 2003) and Bayesian estimation with uncorrelated (“relaxed”) lognormally distributed rates among branches (implemented in BEAST; Drummond et al., 2006; Drummond and Rambaut, 2007). Penalized likelihood uses an input tree with branch lengths and assumes autocorrelation of rates among lineages, and the uneven-
ness (roughness) of the change in rates among lineages is penalized. A cross-validation method is used to find the optimal level of rate smoothing, and this “smoothing factor” defines the degree of autocorrelation. Using the Bayesian uncorrelated lognormal approach, rates of change are uncorrelated among branches and the rate on each branch is drawn from a lognormal distribution (Drummond et al., 2006; Drummond and Rambaut, 2007). For brevity, we hereafter use “r8s-PL” to refer to the penalized likelihood approach with r8s and “BEAST” to refer to the Bayesian uncorrelated lognormal method. However, we recognize that these software packages can be used to implement other approaches and that other software packages could potentially be used to implement these approaches. Many other methods for divergence-time estimation have also been frequently used, such as the Bayesian relaxed-clock method using autocorrelated rates among lineages (implemented in MultiDivTime; Thorne and Kishino, 2002).

In addition to implementing the Bayesian uncorrelated approach, BEAST has other important advantages and is becoming widely used relative to r8s-PL and MultiDivTime. For example, BEAST can incorporate uncertainty in topology and branch lengths in estimating divergence dates and allows for different types of prior distributions (e.g., normal, uniform, and lognormal) on calibration points and other external sources (Drummond et al., 2006; Drummond and Rambaut, 2007). Nevertheless, divergence-time estimates from r8s-PL remain common (e.g., Hugall et al., 2007; Wiens, 2007; Burbrink and Pyron, 2008; Kokaz et al., 2009; Spinks and Shaffer, 2009; Schulte and Moreno-Roark, 2010). Furthermore, because BEAST (and MultiDivTime) may not be practical on large data sets, r8s-PL may continue to be commonly used well into the foreseeable future.

We know of no simulation studies that have directly compared divergence-date estimates from r8s-PL and BEAST. For example, a thorough simulation study by Battistuzzi et al. (2010) compared only BEAST and MultiDivTime. Further, although some previous empirical studies have estimated and compared dates from r8s and BEAST (e.g., Ribera et al., 2010; Wielstra et al., 2010), it is difficult to evaluate which method gives “better” or “worst” results without some non-arbitrary criterion. Only a few studies have attempted to systematically address differences in these methods with empirical data (Phillips, 2009; Egan and Doyle, 2010).

In many ways, simulation studies offer the best way to evaluate these methods: one can generate a phylogeny with known dates and then examine how well each method estimates those dates, and understand what complications are actually correct. Additionally, it is important to understand how subsampling loci (i.e., using fewer loci) influences divergence-time estimates for these methods using empirical data.

We also compare estimated divergence dates from the nuclear loci to those estimated from a single mitochondrial (mtDNA) gene. Although nuclear data are becoming increasingly accessible, many prominent analyses of phylogeny and divergence dates (in animals) continue to be based on mtDNA data alone (e.g., Santos et al., 2009; Schulte and Moreno-Roark, 2010). Few studies have systematically compared divergence dates estimated from mtDNA to those based on multiple nuclear loci (e.g., Wahlberg et al., 2009; Zheng et al., 2011) and our extensive sampling of nuclear loci provides an opportunity to address this issue.

This is not the first study of phylogeny and divergence times in squamates. Recent studies have used molecular data to address higher-level squamate relationships (e.g., Townsend et al., 2004; Vidal and Hedges, 2005; Kumazawa, 2007; Wiens et al., 2010), and divergence dates (e.g., Vidal and Hedges, 2005; Wiens et al., 2006; Hugall et al., 2007). Here, we provide the most extensive analysis of higher-level squamate phylogeny and divergence-time estimates to date, in terms of including many loci, taxa, and fossil calibration points.

2. Materials and methods

2.1. Taxonomic sampling

Our taxon sampling was designed to address higher-level squamate phylogeny. We included at least two representatives of most families, except for some well-established clades (Anguimorpha, Iguania, Serpentes) for which we sampled fewer species. For outgroups, we used the tuatara (Sphenodon), the closest living relative to Squamata (e.g., Gauthier et al., 1988; Hugall et al., 2007), two crocodilians (Alligator and Crocodylus), two birds (Dromaius and Gallus), two turtles (Chelydra and Podocnemis), and two mammals (Homo and Mia). A list of sampled species, vouchers, and GenBank accession numbers is provided in Appendix A.

2.2. Molecular sampling

We obtained DNA sequence data from 25 protein-encoding nuclear loci. Some sequence data were used in our previous studies.
on snakes (Wiens et al., 2008), iguanians (Townsend et al., 2011), and other squamates (Wiens et al., 2010); a total of 844 new sequences were generated for this study (~20–30 new taxa per locus). Most loci were selected based on the protocol described by Townsend et al. (2004; RAG-1, Vidal and Hedges, 2005).

To represent the mitochondrial genome, we used the protein-encoding gene NADH dehydrogenase subunit 2 (ND2), which is widely used in squamate phylogenetics (e.g., Macey et al., 2000; Wiens et al., 2005; Wiens and Morrill, 2011). The 25 genes ranged in completeness from 71% to 100% (mean = 91%; Table 1). Both simulation and empirical studies suggest that even extensive missing data need not prevent taxa from being accurately placed in phylogenetic analyses, especially if the overall number of characters is large (e.g., Wiens, 2003; Driskell et al., 2004; Philippe et al., 2004; Wiens et al., 2005; Wiens and Moen, 2008; Wiens and Morrill, 2011). Furthermore, limited analyses suggest that branch-length estimation need not be adversely affected by missing data, especially if rate heterogeneity among genes is accounted for by partitions (Wiens and Morrill, 2011).

### Table 1

<table>
<thead>
<tr>
<th>No.</th>
<th>Locus</th>
<th>Taxa (73)</th>
<th>Characters (19,020)</th>
<th>Model</th>
</tr>
</thead>
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<td></td>
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<td>Included</td>
<td>Constant</td>
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<td>2</td>
<td>71</td>
<td>516 311</td>
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<td>SLCO3A1</td>
<td>2</td>
<td>71</td>
<td>555 320</td>
</tr>
<tr>
<td>3</td>
<td>FSHR</td>
<td>3</td>
<td>70</td>
<td>753 345</td>
</tr>
<tr>
<td>4</td>
<td>ZEB2</td>
<td>0</td>
<td>73</td>
<td>885 326</td>
</tr>
<tr>
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<td>MLKL</td>
<td>5</td>
<td>68</td>
<td>1047 621</td>
</tr>
<tr>
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<td>TRAF6</td>
<td>0</td>
<td>73</td>
<td>651 379</td>
</tr>
<tr>
<td>7</td>
<td>PON1</td>
<td>7</td>
<td>66</td>
<td>1151 666</td>
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<tr>
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<td>AHR</td>
<td>20</td>
<td>53</td>
<td>489 300</td>
</tr>
<tr>
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<td>ECEL1</td>
<td>4</td>
<td>69</td>
<td>582 331</td>
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<td>GPR37</td>
<td>3</td>
<td>60</td>
<td>507 219</td>
</tr>
<tr>
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<td>PTCGER4</td>
<td>10</td>
<td>63</td>
<td>468 201</td>
</tr>
<tr>
<td>12</td>
<td>NGFB</td>
<td>3</td>
<td>70</td>
<td>591 363</td>
</tr>
<tr>
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<td>PTEN</td>
<td>16</td>
<td>57</td>
<td>590 479</td>
</tr>
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<td>604 371</td>
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<tr>
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<td>BDNF</td>
<td>0</td>
<td>73</td>
<td>684 240</td>
</tr>
<tr>
<td>16</td>
<td>BMP2</td>
<td>10</td>
<td>67</td>
<td>642 307</td>
</tr>
<tr>
<td>17</td>
<td>DNAH3</td>
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<td>69</td>
<td>663 326</td>
</tr>
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<td>6</td>
<td>67</td>
<td>621 275</td>
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<tr>
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<td>69</td>
<td>999 477</td>
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<td>3</td>
<td>70</td>
<td>618 243</td>
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<tr>
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<td>AKAP9</td>
<td>21</td>
<td>52</td>
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<tr>
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<td>73</td>
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<td>VCPPH</td>
<td>5</td>
<td>68</td>
<td>801 333</td>
</tr>
<tr>
<td>25</td>
<td>R3S</td>
<td>2</td>
<td>71</td>
<td>735 521</td>
</tr>
</tbody>
</table>

For the Bayesian analyses, MrModeltest (v2.3; Nylander, 2004) was used to estimate the best-fit model for each partition, using the Akaike Information Criteria (Posada and Buckley, 2004). We tested each gene separately, and each codon position within each gene (Table 1). Bayesian analyses were conducted with three partitioning strategies, and Bayes factors (BF; Kass and Raftery, 1995) were used to select the optimal partitioning strategy. Comparison between Bayes factors was evaluated as: 2ln(BF1/BF2), where BF1/2 represents the difference between the estimated mean marginal
likelihoods of the two partitioning strategies (from the harmonic mean of the log likelihoods of the post-burn-in trees from each analysis, see below). A difference in Bayes factors $>10$ was considered to significantly support the alternative strategy (e.g., Kass and Raftery, 1995; Nylander et al., 2004; Brandley et al., 2005). The first partitioning strategy consisted of a separate partition for each codon position across all genes (three partitions total), the second partitioning strategy consisted of a separate partition for each codon position per gene (25 partitions total), and the third consisted of a partition for each codon position for each gene (75 partitions total). Each Bayesian analysis was initially run twice for $10 \times 10^8$ generations, saving trees every $10000$ generations, with four chains (default temperatures), and model parameters unlinked between partitions. Convergence of runs was determined by comparing the average standard deviation of split frequencies (ASDSF) in MrBayes and by plotting log likelihoods ($\ln$ mean of the log likelihoods of the post-burn-in trees ... exact dates chosen varied (see text).

## Table 2

<table>
<thead>
<tr>
<th>Node</th>
<th>Date (Myr)</th>
<th>95% HPD (median, upper and lower limits)</th>
<th>Fossil calibration</th>
<th>Age (period/stage)</th>
<th>Reference and comments</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>312.3–330.4</td>
<td>321.3 (313.7–328.9)</td>
<td>Reptile–mammal split</td>
<td>Late Carboniferous</td>
<td>Benton and Donoghue (2006)</td>
</tr>
<tr>
<td>2</td>
<td>255.9–299.8</td>
<td>277.8 (259.4–296.2)</td>
<td>Lepidosauria–Archosauria</td>
<td>Permian</td>
<td>Donoghue and Benton (2007) and Benton et al. (2009)</td>
</tr>
<tr>
<td>3</td>
<td>222.8 (min)</td>
<td>223.4 (222.9–225.9)</td>
<td>Oldest rhynchocephalian</td>
<td>Triassic</td>
<td>Suess and Oelsen (1990) and Evans (2003)</td>
</tr>
<tr>
<td>4</td>
<td>239–250.4</td>
<td>244.7 (239.9–249.5)</td>
<td>Bird–crocodiliform</td>
<td>Triassic</td>
<td>Benton et al. (2009)</td>
</tr>
<tr>
<td>5</td>
<td>54 (min)</td>
<td>54.51 (54.1–57.1)</td>
<td>Gekkotan Iguanodontoidea</td>
<td>Lower Eocene</td>
<td>Bauer et al. (2005)</td>
</tr>
<tr>
<td>6</td>
<td>65.2 (min)</td>
<td>65.81 (65.3–68.3)</td>
<td>Konkosauroidea</td>
<td>Maastrichtian (Late Cretaceous)</td>
<td>Krause et al. (2003)</td>
</tr>
<tr>
<td>7</td>
<td>70.0 (min)</td>
<td>70.61 (70.1–73.1)</td>
<td>Chamops, Haaptosphenus, Letrachamps, Metticsognathus</td>
<td>Campanian (Late Cretaceous)</td>
<td>Estes (1964), Bryant (1989) and Benton and O'Neill (1995)</td>
</tr>
<tr>
<td>8</td>
<td>111 (min)</td>
<td>111.5 (111.1–114.1)</td>
<td>Hodzhabaklia</td>
<td>Aptian–Albian (Early Cretaceous)</td>
<td>Evans (2003) and Wiens et al. (2006)</td>
</tr>
<tr>
<td>9</td>
<td>92.7 (min)</td>
<td>93.31 (92.8–95.8)</td>
<td>Cariophis</td>
<td>Cenomanian (Late Cretaceous)</td>
<td>Marsh (1982)</td>
</tr>
<tr>
<td>10</td>
<td>70.0 (min)</td>
<td>70.61 (70.1–73.1)</td>
<td>Palaeeosaurus, Telmasaurus</td>
<td>Campanian (Late Cretaceous)</td>
<td>Bryant (1989), Berusuk-Bialynicka (1984) and Gao and Norell (2000)</td>
</tr>
<tr>
<td>11</td>
<td>70.0 (min)</td>
<td>70.61 (70.1–73.1)</td>
<td>Odaxosaurus</td>
<td>Campanian (Late Cretaceous)</td>
<td>Bryant (1989), Wiens et al. (2006) and Hugall et al. (2007) and Conrad (2008)</td>
</tr>
<tr>
<td>12</td>
<td>70.0 (min)</td>
<td>70.61 (70.1–73.1)</td>
<td>Priscagamines, Iguanidae, and Ictodontosaurus (see text)</td>
<td>Campanian–Maastrichtian (Late Cretaceous)</td>
<td>Gao and Norell (2000) and Conrad (2008)</td>
</tr>
<tr>
<td>13</td>
<td>99.6 (min)</td>
<td>100.2 (99.7–102.7)</td>
<td>Primaderma</td>
<td>Albian–Cenomanian (Late Cretaceous)</td>
<td>Nydam (2000), Vidal and Hedges (2005) and Wiens et al. (2006) and Hugall et al. (2007) and Conrad (2008)</td>
</tr>
<tr>
<td>14</td>
<td>70.0 (min)</td>
<td>70.61 (70.1–73.1)</td>
<td>Contognathus, Sauriscus</td>
<td>Campanian (Late Cretaceous)</td>
<td>Estes (1969), Bryant (1989)</td>
</tr>
</tbody>
</table>

* Previous studies that used these fossil calibrations, though exact dates varied (see text).

### 2.4. Calibrating divergence times

We first estimated clade ages for both methods using all 25 loci and 14 fossil calibration points. We used the oldest known fossil taxon confidently placed within the crown group of a clade to establish a minimum age for the most recent common ancestor of that clade. Some fossil taxa are assigned to modern families or other clades but cannot be confidently assigned to the modern crown group; in these cases, we used fossil taxa to determine the minimum age of the stem group for the clade instead (i.e., the node immediately below the crown group). Fossil taxa were used that could be confidently assigned to clades based on recent phylogenetic analyses (e.g., Conrad, 2008; Wiens et al., 2010), and following a thorough review of the paleontological literature, starting with the pioneering work of Maisey (1976) and the Pholidosauridae (Drummond et al., 2004). We used the most recent, comprehensive assessment of ages for geologic strata to obtain dates for each fossil used (Gradstein et al., 2004) or the PDDB for strata not listed in Gradstein et al. (2004). We used the minimum age of the stratum as a minimum calibration age for the crown group of the relevant clade. When error terms were given for a stratum, we used the minimum age minus the error.

To find calibration constraints within squamates, we performed a thorough review of the paleontological literature, starting with fossil calibrations used in previous dating analyses (e.g., Vidal and Hedges, 2005; Wiens et al., 2006; Hugall et al., 2007). Because these studies used different dating methods, taxon sampling, and criteria for assigning calibration points, only three calibration points within Squamata were shared between these studies and ours (Table 2).

The age of a given fossil can be used to set the minimum age of a given clade (Drummond et al., 2006), but determining the maximum age of a clade is more difficult, because a clade may be older than the earliest known fossil (e.g., Benton and Donoghue, 2006). However, previous studies have determined minimum and
maximum age constraints for three of the outgroup clades used here (e.g., Müller and Reisz, 2005; Benton and Donoghue, 2006; Benton et al., 2009). In total, we utilized 10 minimum age constraints within Squamata, including nearly every major clade (e.g., Evans, 2003), and four among the outgroup taxa (three minimum–maximum, one minimum only; Table 2). We provide full details and justification for each calibration point, and discuss differences in calibration choices between previous studies and ours, in Appendix C.

2.4.1. Evaluating dating methods

Our comparisons of dating methods focused on the ages of seven “focal” nodes that were recovered in all of our phylogenetic analyses (labeled A–G; Fig. 1). However, we also explored the differences between methods across all nodes, to see if the observed effects were consistent throughout the tree. We first estimated ages using the entire data set (25-locus) with the ML topology in r8s-PL and BEAST. The program r8s requires an input tree with branch lengths, whereas BEAST can estimate phylogeny and divergence dates simultaneously. However, to be consistent, we used the optimal topology from our ML analysis as the input tree for both methods (note that any potential uncertainty in topology should have little impact on estimated ages, given the strong support for most nodes; see Section 3).

For the subsampling analyses, a random number generator (http://www.random.org/) was used to select a set of loci for each replicate (or “pseudoreplicate”). Loci were sampled without replacement, such that no locus was represented twice in a given data set. Ten replicate data sets were generated for each level of sampling (2, 5, 10, 15, and 20 loci). Loci were then concatenated, and each data set was analyzed in r8s-PL and BEAST as described below. In theory, we could have included analyses based on a single locus, but this would have been potentially problematic given the short length of some sequences (~500 bp) and because we were missing data for some loci for all members of a particular clade (e.g., Dibamidae; Table 1). Although it may seem problematic that we only used 10 replicates for each level of sampling, the BEAST analyses were extremely computationally intensive, with many replicates each requiring >14 days on a supercomputer (see below).

Fig. 1. Maximum likelihood phylogram for squamate reptiles based on 25 nuclear loci (19,020 bp). Bootstrap values are shown only for nodes that received values less than 100%. Nodes with numbered circles (1–14) represent those with calibrations based on fossil data (see Table 2). Square nodes with letters (A–G) indicate focal nodes for comparison of estimated divergence dates in the subsampling analyses. The terminal “Gymn.” identifies the clade Gymnophthalmidae.
Data sets ranged in size based on the number of loci from 1137 to 1932 bp, mean = 1449.3 bp (2-locus); 3075–4731, 3763.8 (5-locus); 6375–8595, 7597.8 (10-locus); 11,052–12,561, 11626.2 (15-locus); and 14,157–16,167, 15126.3 (20-locus). The loci in each data set and size of each are given in Appendix D.

### 2.4.2 Mitochondrial data

We obtained published sequences of ND2 for 51 of the 73 species in the nuclear data set, generated new ND2 data for six species, used closely related species in GenBank for 15, and were unable to obtain suitable data or a replacement for one taxon (see below). For 10 of these replacements, we used mtDNA data from the same genus but a different species, relative to the nuclear data set. For the five others, we used closely related genera, as determined from previous phylogenetic studies (Pelomedusa for Podocnemis, Krenz et al., 2005; Python–Aspidites, Wiens et al., 2008; Sphaerodactylus–Gonatodes, Gambé et al., 2008; Leposoma–Colobosaurus, Castoe et al., 2004; and Chalcides–Amphiglossus, Brandley et al., 2005). For Callopistes, we were unable to obtain a suitable representative for ND2, and this taxon was excluded in the ND2 data set. In total, sequences for 66 taxa were downloaded from GenBank and we collected new data for six (see Appendix A). The use of these alternative taxa should have little impact on branch length estimates at these higher taxonomic levels, and it allowed us to use the same calibration points as for the nuclear data. The ND2 alignment is 1044 bp in length, with 878 parsimony-informative characters. Overall, the sampling of characters and taxa was similar between the ND2 and 2-locus data sets, even though ND2 was considerably more variable.

### 2.4.3. Estimating divergence dates in r8s

We used cross-validation to find the best smoothing factor for our entire data set (25-locus) and for each replicate data set (locus subsampling) using the optimal ML inferred topology. For each data set, we started the cross-validation process with a log10 value of -1, increasing by increments of 0.1, with 100 estimates total. Then, we fine-tuned the smoothing values by selecting the optimal value (lowest Chi-square value) based on the 0.1 increments and performed additional cross-validation within the local range of the first optimal value using 100 increments of 0.01 each, until the lowest Chi-square value was obtained, yielding the final optimal smoothing value.

We used the penalized likelihood method in r8s, using the truncated Newton algorithm and the additive penalty function. We also tested the logarithmic penalty function on the 25-locus data set. However, the additive function is thought to be more appropriate when root nodes are calibrated (Sanderson, 2002); therefore, we used the additive function for the iterations of varying numbers of loci. Both methods gave very similar age estimates for our data (see Section 3), suggesting that use of the additive vs. logarithmic function should have little impact on our conclusions.

Pruning the farthest outgroup prior to analyses is recommended, because of the problem of where to distribute the branch lengths between the root and remaining taxa (Sanderson, 2004). However, to avoid discarding our oldest calibration (mammal–reptile), which would compromise comparisons with the BEAST results, we included the mammal–reptile node and distributed the branch lengths using mid-point rooting in FigTree (v1.2.3, Rambaut, 2009). Preliminary analyses with the root outgroup removed (and consequently the mammal–reptile calibration removed) estimated dates even older than with them included (suggesting that the older age estimates from r8s-PL relative to BEAST are not an artifact of including the root in r8s-PL; see Section 3). Therefore, we ran our 25-locus data set in r8s-PL with our optimal ML topology, with all 14 calibration points (calibrations 1–2, 4 with minimum and maximum values, and calibrations 3 and 5–14 with minimum values only; see Table 2).

To approximate bootstrap confidence intervals on dates for the seven nodes in the 25-locus data set, we created 1000 bootstrap replicates of the 25-locus data set using ‘seqboot’ in Phylip (v3.68; Felsenstein, 2004), and estimated branch lengths for each bootstrap-replicated data set on the optimal ML topology using RAxML. We determined the smoothing factor for each tree (using cross-validation, see above), and estimated confidence intervals for each node using the r8s bootstrap kit (Eriksson, 2007), with corrections suggested by Burbrink and Pyron (2008), and reported results of the approximate bootstrap confidence quadratic (ABCq) method.

All subsampling analyses, as well as the separate mtDNA analysis, were done with branch lengths estimated in RAxML using the GTR+I+ model, partitioned by codon separately for each locus. In four of the subsampled data sets (three of the 2-locus, and one of the 5-locus), a zero-length branch was estimated for one of the calibration nodes (either node 2 or 12), and these nodes were excluded from those four replicates. Also, in three cases for the 2-locus data sets, 1–3 taxa lacked data for both sampled loci and were excluded from those analyses (see Appendix D for details on both of these exceptions). Although confidence intervals for each node for each subsampling replicate might be useful in theory, there would have been very difficult to estimate (e.g., each of the 10 replicates would each require 100 replicates).

### 2.4.4. Estimating divergence dates in BEAST

For all analyses in BEAST we used the same fixed topology (ML) used in r8s-PL. Each codon position in each gene was assigned a separate partition, based on the results of the comparisons of partitioning strategies described above. We used the GTR+H+I model for all partitions for the entire data set and each subsampling analysis, as this model was selected for most partitions in our phylogenetic analyses (Table 1). We used the uncorrelated lognormal relaxed-clock method with a Yule speciation process for all analyses. For three calibration nodes for which we had minimum and maximum values (nodes 1–2 and 4; Fig. 1), we used a normal prior with a mean value at the midpoint between the minimum and maximum values (node 1 = 321.3, node 2 = 277.8, node 4 = 244.7). We also chose standard deviation (stdev) values such that the upper and lower limits of the 95% HPD (Highest Prior Densities) intervals correspond to the minimum and maximum estimated ages based on the fossil record (Table 2; i.e., node 1, stdev = 4.64; node 2 = 11.2; node 4 = 2.9). For all other nodes (minimum values only) we used the lognormal prior, set the mean to 1.0, stdev to 1.0, and used offset values equal to the minimum calibration ages (i.e., for Calibration 3, offset = 222.8; see Table 2 for HPD values). We acknowledge that this value for the mean is arbitrary and somewhat low, such that the range of HPD values are relatively narrow, but we note that the HPD is only for the prior and does not necessarily determine the final estimated dates. In theory, narrower HPDs may contribute to age estimates from BEAST analyses being younger than those from r8s-PL (see Section 3), but this does not appear to explain the differences in robustness of these methods to sampling few loci (based on an analysis using different types of calibration priors, see below). Because we employed two types of calibration priors in these analyses (minimum and minimum + maximum), we refer to analyses run with the above calibration scheme as “BEAST-mix.”

We also tested whether the differences in estimated ages that we observed between r8s-PL and BEAST-mix (see Section 3) might be related to how these methods treat fossil calibration points. We performed an analysis of our 25-locus data set using uniform distribution priors on all calibrations in BEAST (referred to as the “BEAST-uniform” analysis hereafter), using the same minimum
age for each clade used in r8S-PL. The uniform prior is similar to the calibration method implemented in r8S. For the BEAST-uniform analyses, we set a maximum value (222.7, min. age for Lepidosauria) for all nodes within Squamata to avoid incompressible estimates (i.e., when maximum values were set to infinity, the program unexpectedly quit, seemingly because estimates for shallow clades were sometimes older than calibrations for deeper clades). Additionally, we ran the BEAST-uniform calibration scheme on all 10 of the 2-locus data sets to see if the results would be similar to those from the BEAST-mix analyses or instead show greater variability in estimated dates with a smaller number of loci (similar to r8S-PL).

We also ran BEAST without our sequence data in order to sample only the prior distribution (referred to as the “BEAST-prior” analysis hereafter). This was performed using the BEAST-mix calibration scheme to determine if the calibration priors alone determined the estimated dates, or if the estimates are strongly influenced by the sequence data (e.g., Drummond et al., 2006). Estimates from the BEAST-prior analysis were markedly different from those with sequence data (Appendix E), especially for nodes other than the 14 calibration nodes. As expected, point estimates on fossil-calibrated nodes (1–14) were much closer (range of absolute values for differences between the estimates for these nodes is 0.1–19.3; mean = 5.1 Mya) than those from nodes lacking fossil calibration priors (range = 0.6–56.1; mean = 15.8 Mya). Overall, these analyses indicate that our BEAST results are determined by the combination of the sequence data and the priors, and not by the priors alone (see Section 3 for a comparison of the width of the 95% Highest Posterior Densities [HPDs] for estimates with and without sequence data).

For BEAST analyses of the 25-locus data set, we aimed to achieve ESS (effective sample size) values >200 for the estimated ages for the seven focal nodes (A–G). However, we were not able to achieve these desired values, even after using several strategies. These strategies included (a) changing the number of partitions (3 vs. 75), (b) runs ranging from 100 to 300 × 10^6 generations (sampling every 1000–10,000 generations), and (c) combining six analyses (each run for 500 × 10^6 generations sampling every 10,000), and one analysis run for 1 × 10^7 (1 billion) generations, sampling every 100,000 (more frequent sampling produced file sizes >1 GB that were not readable in Tracer). We found that overall posterior values for some runs (of the same date file) reached stationarity by 20 × 10^6 generations, whereas others took nearly 450 × 10^6 generations, and some runs appeared to reach stationarity but never achieved overall posterior scores (e.g., −303,355) equivalent to other runs with better posterior scores. Therefore, we used Log-Combiner (in BEAST) to combine analyses utilizing the same partitioning strategy (75 partitions) that reached similar overall posterior scores (−303,272 to −303,281), to obtain the highest ESS values possible for the ages of the focal nodes (A–G). In the end, we combined six runs (100 × 10^6, 200 × 10^6, 300 × 10^6, 2 at 500 × 10^6, and 1 at 1 × 10^7) with a post-burn-in (separately for each run) log file with 675 × 10^6 states. We report these values and associated dates as our best estimates for BEAST and for comparison with the subsampling analyses. Although some readers might be concerned that we did not achieve the desired ESS values with 25 loci, our results show that our 10 replicates of 2- and 5-loci (which all achieved ESS values >200) each yielded similar estimated ages for all focal nodes as the replicates with 10-, 15-, 20-, and 25-loci (which had ESS values <200). This strongly suggests that the 25-locus estimates are indeed stable, despite failing the ESS “rule of thumb” suggested by Drummond et al. (2006). For the subsampling analyses, we again used the optimal ML topology as a constraint and used the BEAST-mix calibration approach. Most analyses were run for 100 × 10^6 generations, sampling every 1000 generations. This was sufficient to obtain ESS values >200 for ages for nodes A–G for ND2, 2-locus, and some 5-locus runs. However, for the other 5-locus and all 10-, 15-, and 20-locus data sets, we ran analyses for 500 × 10^6 generations, sampling every 10,000 generations. The ESS values for estimates on nodes A–G ranged from 328 to 1690 (mean = 702) for the 2-locus analyses, but ranged from 100 to 448 (mean = 173) for the 5-locus analyses, and became progressively lower as more loci were added (see results from 25-locus analyses, Table 4).

The ESS values improved for the 5-locus analyses when we increased the number of generations to 500 million. Therefore, ESS values greater than 200 might be possible for all analyses if it were feasible to run them for more generations. However, as explained...
above, we ran one analysis of the 25-locus data set for 1 billion generations, which exceeded our allowed time on the supercomputer, and still did not achieve ESS values > 200.

2.5. Autocorrelation of rates

Recent simulations (Battistuzzi et al., 2010) suggest that the relative accuracy of dating methods for a given data set may hinge on whether the underlying rates of molecular evolution are phylogenetically autocorrelated (assumed by r8s and MultiDivTime) or uncorrelated (BEAST). We assessed autocorrelation in our 25-locus data set using two methods. First, we used BEAST and examined the covariance statistic in Tracer (Drummond et al., 2006). If the 95% HPD for the covariance statistic contains zero, then there is no evidence for autocorrelation. However, this method has been criticized for its lack of power to detect autocorrelation in simulations (Battistuzzi et al., 2010). Therefore, we also assessed autocorrelation by comparing the natural logs of Bayes factors (lnBF), estimated using thermodynamic integration between the default “deconstrained” model and both “lognormal” (autocorrelated) and “uncorrelated gamma” clock models (Lepage et al., 2007), with the number of integration steps \( K = 10,000 \), saving every 10 points. These latter analyses were conducted in PhyloBayes (v3.2e, Lartillot et al., 2009).

Fig. 2. Chronogram for squamate reptiles estimated by r8s-PL based on 25 nuclear loci (scale on x-axis in Mya). Scale bars around nodes (identified in Fig. 1) indicate the 95% ABCq upper and lower bootstrap confidence intervals (values are listed in Table 3). Inset shows types of calibrations used for particular nodes; probabilities increase along y-axes and ages decrease on x-axes. The minimum–maximum calibration estimates have a uniform probability for any age between the minimum and maximum calibration points, and the minimum only calibration estimates have uniform probability for any age between the minimum and the next calibration deeper in the tree (similar to the “uniform” prior in BEAST).
2.6. Computational hardware

Analyses using PAUP* and r8s-PL were conducted on standard MAC OSX desktop computers. MrBayes and RAxML analyses were conducted on the BYU Life Sciences Computational Cluster, which consists of 68 nodes running Debian Linux, each node with two Intel Xeon quad core processors (E5345) at 2.33 GHz with 16 GB of RAM, a 250 GB hard drive and Mellanox 4x Infiniband card providing 20 Gb connectivity between nodes. BEAST analyses were run on the BYU Life Sciences Computational Cluster, which consists of 320 nodes (2560 CPUs, 7680 GB total memory). BEAST analyses were run using eight processors per node and took on average from 8 to 10 days, and the maximum (1 × 10^10 generations) taking 26 days, exceeding the default time allowed by 10 days.

3. Results

3.1. Phylogenetic analyses

The phylogenies estimated for all 25 loci (19,020 bp; 9780 parsimony-informative characters) from the ML (Fig. 1), MP, and Bayesian analyses are generally similar to each other (Supplementary materials, Figs. S1 and S2, respectively). These phylogenies are generally similar to each other (Supplementary materials, Figs. S1 and S2, respectively). These phylogenies are
also similar to those from other recent molecular analyses of higher-level squamate relationships (e.g., Townsend et al., 2004; Vidal and Hedges, 2005; Wiens et al., 2010). All of our analyses placed Dibamidae as sister to all other squamates, with moderate to strong support (MP and ML bootstrap = 58% and 72%, respectively; Bayesian Pp = 0.93). Although all of our analyses found Toxicofera (Anguimorpha, Iguania, Serpentes) to be well supported, relationships among the three major clades within this group were not. Relationships within Toxicofera varied among methods, with ((Iguania + Serpentes) Anguimorpha) supported in our MP analysis and ((Iguania + Anguimorpha) Serpentes) supported in our ML and Bayesian analyses. The only other differences between analyses (MP, Bayesian, and ML) within Squamata involved relationships within Scincidae. The MP tree shares 65 of 70 nodes with the ML and Bayesian trees (normalized consensus fork index = 0.929; symmetric-difference distances = 10) whereas the ML and Bayesian trees share 67 of 70 nodes (normalized consensus fork index = 0.957; symmetric-difference distance = 6).

### 3.2. Estimating dates of divergence

Clade ages based on 25 loci in r8s-PL (Fig. 2; Table 3) and BEAST-mix (Fig. 3; Table 4) are generally similar to those in other studies (e.g., Vidal and Hedges, 2005; Wiens et al., 2006; Hugall et al., 2007; see Table 5 for explicit comparisons). However, nodes A–G are consistently estimated as older by r8s-PL relative to BEAST-mix (11.8–44.6 Myr older, mean 25.3 Myr; Fig. 4; Tables 3 and 4). This trend is generally consistent across the tree, but varies across different clades (Figs. 5 and 6). Although estimates from r8s-PL are much older for some nodes deeper in the tree (e.g., Lepidosauria) and at the tips (e.g., Gekko–Phelsuma), this varies somewhat from group to group (e.g., estimates are nearly the same within snakes, but markedly different within other clades such as gekkos, scincids, and iguanians; Fig. 5). Results from r8s-PL with the logarithmic penalty function are not significantly different from those with the additive function (mean difference = 1.4 Myr, d.f. = 69, t-value = 1.686, and P = 0.096; Supplementary materials Fig. S3).

#### 3.3. Autocorrelation of rates

Analyses using BEAST-mix and PhyloBayes both suggest that rates are uncorrelated and not autocorrelated, respectively, indicating that the model assumed by BEAST-mix may fit these data better than the model assumed by r8s-PL. The 95% HPD values for the covariance statistic on our combined log file for BEAST-mix contained zero (mean = −0.0211; HPD lower = −0.149, upper = 0.1142; ESS = 214.588), suggesting a lack of autocorrelation among rates (Drummond et al., 2006). Further, analyses using PhyloBayes for the lognormal (autocorrelated) model gives lnBF = 7.3982 (interval = −10.9694 to 8.84922) and for the uncorrelated gamma model lnBF = 10.1284 (interval = 9.92258–13.0388). The lognormal interval contains negative values, indicating that it often performed worse than the unconstrained model (Lepage et al., 2007).

#### 3.4. Comparison of dating methods

The subsampling analyses revealed interesting differences between dating methods (Fig. 4). First, estimates from r8s-PL sampling a limited number of loci are somewhat less consistent with those from 25 loci. With 2 and 5 loci, estimates from r8s-PL for the seven focal nodes differed from the 25-locus estimates by as much as ~29 Myr (2-locus: mean = 11.0 [range of absolute values = 0.8–28.9]; 5-locus: mean = 6.1 [0.03–13.5]). Estimates based on 2-locus, 5-locus, and 10-locus data sets are frequently outside the 95% confidence interval of dates estimated from the 25-locus data set (Fig. 4), with 60 of 66 estimates (90.1%) outside the 95% interval with 2 loci (adding the absolute differences across all 10 replicates and seven nodes, minus four nodes with zero-length branches in some replicates), 45 of 69 for 5 loci (65.2%), 30 of 69 for 10 loci (43.5%), 13 of 70 for 15 loci (18.6%), and 6 of 70 for 20 loci (8.6%). Differences (absolute values) between estimates from the subsampled data sets and estimates based on 25 loci for all nodes using r8s-PL are: 2-locus mean = 9.0 Myr (0.0–74.3); 5-locus mean = 5.4 Myr (0.0–66.2); 10-locus mean = 3.1 Myr (0.0–18.4); 15-locus mean = 2.1 Myr (0.0–15.3); 20-locus mean = 1.3 Myr (0.0–8.6); see Appendix F for all values.

For BEAST-mix, estimates from the 2-locus and 5-locus data sets are somewhat more similar to the estimated values for the 25-locus data set. The differences (absolute values) for the seven focal nodes from the 25-locus estimates were: 2 loci: mean = 4.1 Myr (0.3–19.4); 5 loci: mean = 3.0 Myr (0.1–11.5); 10-locus mean = 2.0 Myr (0.0–12.2); 15-locus mean = 1.8 Myr (0.0–5.8); 20-locus mean = 1.7 Myr (0.0–8.8); see Appendix G for all values. Further, all estimates with fewer loci using BEAST-mix were within the 95% credibility intervals (i.e., HPDs) estimated for 25 loci (Fig. 4), but note that these error estimates are wider for BEAST-mix than for r8s-PL (see below). For both methods, estimates based on 10 or more loci are similar to those for 25 loci. Differences (absolute values) between estimates from the subsampled data sets and estimates based on 25 loci for all nodes using BEAST-mix are as follows: 2-locus mean = 5.0 Myr (0.0–54.7); 5-locus mean = 3.3 Myr (0.0–45.6); 10-locus mean = 2.5 Myr (0.0–19.1); 15-locus mean = 2.2 Myr (0.0–21.7); 20-locus mean = 2.1 Myr (0.0–15.1); see Appendix G for all values. Interestingly, the deviation between the 25-locus estimates and the subsampled estimates is slightly higher for BEAST-mix than r8s-PL with larger numbers of loci, but these numbers are small for both methods. Most importantly, for both methods, sampling only 2 or 5 loci can yield age estimates that differ dramatically from those for 25 loci (i.e., >45 Myr for some nodes for both methods), strongly suggesting the benefits of sampling many loci.

The differences between methods are most striking when the mitochondrial data are considered. The estimated ages in r8s-PL...
based on the single mitochondrial gene (ND2) for nodes A–G are
~68–82 Myr older (mean = 73.1) than those from the full nuclear
data set in r8s-PL. In contrast, estimates based on the single mito-
chondrial gene for nodes A–G in BEAST-mix are far more similar to
those from the 25 nuclear loci using BEAST-mix (2.0–15.0 Myr old-
er, mean = 6.3 Myr). For all seven focal nodes, the estimated dates
from the single mitochondrial gene fall within the range of dates estimated from the 2-locus (nuclear) data sets and within the 95% credibility interval for all 25 loci in BEAST-mix (Fig. 4; Table 4). Similar trends are present across the tree. The differences between the ND2 and the 25-locus estimates for all nodes in r8s-PL had a mean of 62.5 Myr (range = 0.0–114.9), whereas those from BEAST-mix are more similar to dates estimated with 25 loci (mean = 15.2 Myr, range = 0.2–56.1). Notably, even for BEAST-mix, there were still striking deviations between the age estimates from mitochondrial data and multiple nuclear loci for some nodes.

Estimates from BEAST-uniform with 25 loci are more similar to those from r8s-PL (Fig. 6), which strongly suggests that the older dates estimated by r8s-PL are related to how fossil calibrations are treated by each method. For most outgroup nodes, estimated dates from BEAST-uniform and r8s-PL analyses were very close to those from the BEAST-mix analyses, whereas shallower nodes were generally estimated to be older in r8s-PL and BEAST-uniform, except for some more recent (<50 Myr) divergences (Fig. 6). The 95% HPDs for the covariance statistic on the combined log file for BEAST-uniform contained zero (mean = 0.0287; HPD lower = −0.96, upper = 0.1763; ESS = 121.544), again suggesting a lack of autocorrelation among rates (Drummond et al., 2006).

Additionally, results from the 2-locus data sets with BEAST-uniform appear more robust to limited sampling of loci than those from r8s-PL. The average absolute differences between estimates from the 2-locus and 25-locus analyses are not significantly different between BEAST-mix and BEAST-uniform (for nodes A–G, mean difference = 0.40; P = 0.124; based on a paired t-test), whereas they are between BEAST-uniform and r8s-PL (nodes A–G, mean difference = 6.30; P = 0.001) and BEAST-mix and r8s-PL (nodes A–G, mean difference = 6.70; P = 0.001). All but one estimate (for node E) of the BEAST-uniform analyses from the 2-locus data sets for nodes A–G were within the 95% confidence intervals of estimates from the 25-locus, BEAST-uniform analyses (Supplementary materials, Fig. S4).

Ages estimated from the BEAST-prior analysis (i.e., no data) differed considerably from those with data (BEAST-mix), with a mean difference of 9.3 Myr per node (based on 70 nodes; P = 0.0001 based on a t-test). This result shows that estimated ages from BEAST-mix are strongly influenced by the sequence
data, and are not determined solely by the priors (see Appendix H). The results from the BEAST-prior analysis differ even more strongly from the BEAST-mix analysis of the mitochondrial data (mean difference of 20.1 Myr per node; \( P < 0.0001 \) based on a \( t \)-test), suggesting that the similarity between the nuclear and mitochondrial estimates for BEAST are not simply a result of tightly constrained priors.

Finally, we evaluated the influence of subsampling loci on the mean width of the 95% HPD (i.e., the range of the credibility intervals). Surprisingly, we found that the mean widths of the 95% HPDs of nodes in the 2-locus data sets (40.40 Myr) are not significantly wider than those from 25 loci (mean = 40.31 Myr) for 70 comparable nodes (mean difference = 0.66 Myr, d.f. = 67, \( t \)-value = -0.840, \( P = 0.4039 \); Appendix I). Thus, our overall results show that by increasing the number of loci in BEAST, the mean age estimates become more similar to those from 25 loci, but the widths of credibility intervals remain similar. We also compared the mean widths of the 95% HPD of the BEAST-prior analysis (no data; mean = 58.7 Myr) with those from BEAST-mix (mean = 40.3 Myr, 72 nodes) and with those from the ND2-BEAST analysis (mean = 48.3 Myr, 70 nodes). We found the BEAST-prior widths to be significantly wider than those from BEAST-mix (mean difference = 18.42 Myr, d.f. = 69, \( t \)-value is 5.425, and \( P < 0.0001 \); Supplementary materials Fig. S5), and the ND2-BEAST analysis (mean difference = 8.31 Myr, d.f. = 69, \( t \)-value is 2.749, and \( P = 0.0076 \); Appendix I). Thus, the inclusion of sequence data clearly reduces the width of the HPD (as expected), but the amount of sequence data (2 vs. 25 loci) appears to have surprisingly little impact.
4. Discussion

4.1. Evaluation and comparison of dating methods

Relaxed-clock methods are becoming widely used for estimating the ages of clades, and estimated chronograms are becoming commonplace in evolutionary, biogeographic, and ecological studies. However, many questions remain, including how well they perform with relatively few loci and with loci evolving at rapid rates (e.g., mtDNA in animals). Although there have been important comparisons of methods in previous studies using empirical and simulated data (e.g., Yang and Yoder, 2003; Linder et al., 2005; Battistuzzi et al., 2010), there have been few comparisons between two of the most widely used methods, penalized likelihood and Bayesian analysis with uncorrelated, lognormally-distributed rates (e.g., Phillips, 2009; Egan and Doyle, 2010). Here, we assemble an extensive phylogenomic data set to evaluate and compare r8s-PL and BEAST by subsampling nuclear loci (2, 5, 10, 15, and 20) and sampling mtDNA, and comparing these age estimates to those from the complete nuclear data set (25 loci). Our results also have important implications for those studies focusing on BEAST alone.

Our results show that both BEAST-mix and r8s-PL can be highly sensitive to limited sampling of loci and to the use of mitochondrial data alone, with both methods giving estimates that sometimes differ from those with 25 nuclear loci by >50 Myr (in some cases). Our results also show that BEAST-mix can provide estimates of divergence dates that are somewhat more robust to limited sampling of loci than those from r8s-PL (penalized likelihood). However, the generality of this result should be tested in other systems. Although we do not know the true ages of these squamate clades, we find that use of a limited number of loci in both methods can lead to estimates that sometimes differ substantially from those based on large numbers of loci. In other words, we found greater stochastic error in estimates from few loci (<10), with somewhat greater errors for r8s-PL relative to BEAST-mix and BEAST-uniform. One potential explanation for this pattern may be model misspecification, which we address below.

For r8s-PL with only 2 or 5 loci, most estimates (90% and 65%, respectively) were outside the 95% confidence interval estimated for 25 loci, and nearly half (45%) were still outside this confidence interval with 10 loci (for the seven focal nodes). In contrast, estimates from BEAST-mix were consistently within the 95% credibility intervals from 25 loci, even with only 2 or 5 loci. This pattern may result from a combination of the larger stochastic error and narrower confidence intervals in r8s-PL. Credibility intervals in BEAST are broader and incorporate many different potential
sources of error (e.g., branch lengths, fossil calibration ages). In contrast, the confidence intervals in r8s are based solely on branch-length variation (from bootstrapped data sets), and do not incorporate uncertainty in fossil calibrations or other sources. Therefore, we expect them to be narrower than credibility intervals in BEAST. We also find that in some cases, sampling a limited number of loci (2 and 5) can seemingly lead to problematic age estimates for BEAST-mix as well (with differences up to 54.7 Myr between the estimates from the full and subsampled data). These results underscore the importance of including multiple genes in dating studies for all methods (see also Battistuzzi et al., 2010).

The most dramatic contrast between methods involves estimates from the mitochondrial gene (ND2). For r8s-PL, the dates estimated from ND2 are ~68–82 Myr older than those estimated from a large number of slowly evolving nuclear loci using the same method. Even without knowing the correct ages of clades, these large differences in estimated ages for the same clades using the same method show that some of the clade ages estimated by r8s-PL must be incorrect. In contrast, the clade ages estimated from the single mitochondrial gene using BEAST-mix are more similar to those based on 25 nuclear loci, albeit with strong deviations for some nodes (mean 15.2 Myr difference between the ND2 and 25-locus estimates across all nodes). Overall, our results suggest that BEAST can yield date estimates from a single fast-evolving mitochondrial gene (or two short nuclear fragments) that approximate those inferred from 25 nuclear loci. However, the relative insensitivity of BEAST to sampling few loci or mitochondrial data does not ensure that estimates from BEAST are correct, only that they may be less likely to reflect random errors due to subsampling loci (i.e., they may still be incorrect for a variety of reasons).

We also found that ages estimated by r8s-PL are generally older than those estimated by BEAST-mix (Figs. 4 and 6; mean difference across nodes A–G = 25.3 Myr older, using all loci). The cause of this difference is not entirely clear. One potential explanation is the use of lognormal priors on fossil calibrations in BEAST. When BEAST was run with uniform priors for all calibrations, the estimates were more similar to those from r8s-PL (Fig. 6). The lognormal prior assigns a higher probability for the age of the clade being closer to the minimum calibration age, with this probability tapering off dramatically for earlier ages (see inset in Fig. 3). In contrast, minimum-only calibrations in r8s-PL have equal probability throughout the time interval between the minimum age and the time of the next node with a constraint (see inset in Fig. 2), similar to the uniform distribution in BEAST. Simulated and empirical data suggest that the lognormal prior in BEAST is generally more accurate (Drummond et al., 2006), although we cannot address whether this is the case for our data.

Few previous studies have compared r8s-PL and BEAST with empirical data. A study on vertebrate mtDNA (Phillips, 2009) implied that BEAST was able to estimate more dates within the ranges expected given the fossil record than r8s-PL, but the BEAST analyses utilized many fossil constraints (for many of these same nodes), whereas r8s-PL did not. In our study, we have tried to make fossil calibrations as similar as possible between these methods. Egan and Doyle (2010) compared r8s-PL and BEAST with nuclear data and similar calibration schemes for six nodes in a genus of plants, and concluded that r8s-PL generally estimated older dates than BEAST. Their hypothesized explanation for these differences is that r8s-PL does not accommodate different rates of change in each gene. However, in their analyses, unlike ours, likelihood branch lengths for r8s-PL were estimated using a non-partitioned analysis with a single model and set of parameters applied to all genes. In summary, these previous studies both imply that r8s-PL may give somewhat problematic estimates relative to BEAST, although there were important differences in how these methods were applied in these studies that make direct comparison difficult (reflecting the somewhat different goals of these studies).

Apart from our comparison between methods, our results have three important implications for analyses focusing on BEAST alone. First, our results suggest that there can be substantial random errors in estimating divergence dates with few nuclear loci, with some estimates off by >50 Myr relative to the complete data set. Second, we find that there can be even larger deviations when sampling mitochondrial genes (mean difference of 15.2 Myr across nodes, vs. mean difference of 5.0 Myr for 2 nuclear loci). These results suggest that including nuclear genes should be a priority for dating studies. Third, we found that despite the apparent benefits of sampling many loci, the confidence intervals for 25 loci were no narrower than those for 2 loci. Thus, even though sampling more loci seems to reduce stochastic errors in the estimated dates, it does not seem to lead to greater confidence in those estimated ages. These results, especially the latter, should be investigated further in future empirical and simulation studies.

4.2. Autocorrelation of rates

One potential cause for the discrepancy in estimated dates between r8s-PL and BEAST-mix could be model misspecification. This might also explain the greater stochastic error in estimates from r8s-PL. Our sequence data appear not to be autocorrelated, which may explain the older dates estimated in r8s-PL, which assumes autocorrelation. Simulations by Battistuzzi et al. (2010) suggest that a critically important factor in the relative accuracy of dating methods is whether simulated rates are autocorrelated among lineages (assumed by MultiDivTime and r8s-PL) or vary randomly (assumed by BEAST). Specifically, the accuracy of methods was potentially reduced when the data were simulated under one model but analyzed using the method that assumes the other (i.e., model misspecification). However, it is unknown whether model misspecification necessarily leads to a systematic bias towards older estimated dates or if it might explain the sensitivity of r8s-PL to the mtDNA data and limited sampling of nuclear loci.

4.3. Caveats and mtDNA data

We make several caveats about our conclusions, especially those relating to mtDNA. Although the dramatically older age estimates we found using r8s-PL with mtDNA are troubling, they may not be unique. We expect mtDNA to be most problematic for divergence dating at the oldest time scales, when taxa are so divergent that their branch-length estimates are compromised. The divergences within our tree span >300 Myr (Table 2), whereas many studies that use mtDNA to estimate phylogenies and divergence times may involve much younger time scales (e.g., <50 Myr). Under more recent divergences, mtDNA may be less problematic for divergence dating (e.g., underestimation of branch lengths should be less severe). In addition, the maximum ages estimated may be constrained by specifying a reasonable root age for the tree based on other lines of evidence (e.g., fossils, other dating studies). We also included only a single mitochondrial gene. It is unclear if these discrepancies would persist using more mitochondrial genes. In fact, whole mitochondrial genomes are sometimes used to estimate divergence dates at broad phylogenetic scales (e.g., Kumazawa, 2007). We speculate that whole mitochondrial genomes may also be problematic, because all genes may share a relatively fast mutation rate relative to nuclear genes and the increase in mtDNA data may not greatly reduce the underestimation of branch lengths. Indeed, a study of squamate divergence dates using MultiDivTime and whole mitochondrial genomes (Kumazawa, 2007) estimated dates considerably older than those estimated for nuclear genes here and in most previous studies (e.g., squamate
crown group nearly 240 Myr; iguanian crown group nearly 200 Myr), but not as old as those estimated for ND2 alone (Table 3).

Finally, several other important issues are not addressed here. For example, we did not address use of MultiDivTime, the sensitivity of these methods to taxon sampling (e.g., Linder et al., 2005), or the effects of varying the number of fossil calibration points. These issues should be addressed in future studies. It is also possible that some of our results may not apply to other studies for various reasons (e.g., many other studies involve shallower divergence times and fewer fossils calibration points). These issues should be considered when applying our conclusions to other studies.

4.4. Phylogeny and ages of squamate clades

A major goal of our study is to provide an improved estimate of divergence times for higher-level squamate clades using large numbers of loci, taxa, and fossil calibration points (relative to previous studies). Vidal and Hedges (2005) used MultiDivTime with six fossil calibration points and nine nuclear loci (6192 bp total) for 19 taxa. Wiens et al. (2006) used r8s-PL with 11 fossil calibration points and nuclear RAG-1 data (~2850 bp) for 69 squamate taxa [data from Townsend et al. (2004)], Hugall et al. (2007) used r8s-PL for 36 squamate taxa using a subset of the RAG-1 data, and only one fossil calibration point within squamates (but 12 within Tetrapoda).

Kumazawa (2007) used MultiDivTime for 24 squamate taxa using mitochondrial genomes (8310 bp) and four fossil calibration points. Here, we estimated divergence times with 25 loci (19,020 bp) for 64 squamate taxa and 14 fossil calibration points (10 within Squamata).

Our phylogenetic results are generally similar to those of Townsend et al. (2004; for nuclear data, their Fig. 3) and most subsequent molecular studies. In fact, most previous studies have used the RAG-1 data of Townsend et al. (2004), either alone (Wiens et al., 2006; Hugall et al., 2007) or in combination with other loci (Townsend et al., 2004; Vidal and Hedges, 2005; Wiens et al., 2010). The only major points of disagreement between these studies are: (1) whether the sister group to all other squamates is dibamids (Vidal and Hedges, 2005; Wiens et al., 2006; this study), gekkotans (Hugall et al., 2007), or dibamids + gekkotans (Wiens et al., 2010); and (2) whether the sister group to snakes is Anguimorpha (Hugall et al., 2007; Lee, 2009) or Anguimorpha + Iguania (Townsend et al., 2004; Vidal and Hedges, 2005; Wiens et al., 2006; 2010; this study). In fact, relationships within Toxicofera (Dibamidae, Anguimorpha, and Serpentes) are relatively weakly supported in many previous studies and ours, despite the large number of loci, presumably because of short branch lengths (e.g., Wiens et al., 2008). The phylogenetic results of Kumazawa (2007) are somewhat more incongruent with ours (e.g., placizing lacertids and amphisbaenians with snakes), but are generally similar, despite the absence of some key higher taxa (e.g., dibamids, gymnophthalmids, teiids). Overall, most of the higher-level squamate phylogeny appears to be relatively strongly supported and consistent between studies using molecular data, despite some striking differences relative to previous morphological hypotheses (e.g., Estes et al., 1988).

Our estimates of divergence times are also roughly similar to previously published estimates, especially those from r8s-PL (Table 5). For example, the present study, Wiens et al. (2006), and Hugall et al. (2007) all found that the squamate crown group arose ~180 Myr. However, some of the dates estimated by Vidal and Hedges (2005) and especially Kumazawa (2007) appear to be substantially older (e.g., squamate crown group ~240 Myr). Notably, these latter two studies used relatively few taxa, few fossil calibration points, and the MultiDivTime method. We also note that our estimates from r8s-PL may be more similar to the age estimates of Wiens et al. (2006) and Hugall et al. (2007) simply because those studies also used r8s-PL. Therefore, this agreement does not necessarily imply accuracy, as the older dates estimated by r8s-PL in these studies and ours could be erroneous, for the reasons described above (e.g., model misspecification, use of uniform distributions for calibration ages).

5. Conclusions

In this study, we use phylogenetic data for squamate reptiles to evaluate and compare two widely used methods for estimating divergence dates, penalized likelihood (r8s-PL) and the Bayesian uncorrelated lognormal approach (BEAST). We find that BEAST can give estimates similar to those for 25 nuclear loci given small numbers of nuclear loci or even a single mitochondrial gene. In contrast, estimates from r8s-PL with few nuclear loci often differ from those with more loci, and estimates from r8s-PL based on mtDNA alone differ dramatically from those based on multiple nuclear loci for the same method (>110 Myr older, mean 62.5 Myr). Overall, our results show that, with our data set, estimates from BEAST can be surprisingly consistent given limited sampling of loci. However, our results also imply that analyses using BEAST may also benefit from sampling nuclear vs. mitochondrial data and sampling multiple nuclear loci. We also find that utilizing 25 loci does not significantly decrease confidence intervals on estimated ages relative to sampling 2 loci, a somewhat disturbing result that should be investigated further.

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Appendices A-I. Supplementary material

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